

Smoothing and Blurring

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Kernel

- In computer vision, a kernel, also known as a convolution matrix or mask, is a small matrix used to manipulate images in various ways.
- Think of it as a tiny window that "slides" across the image, performing calculations at each pixel based on the surrounding pixels and the kernel itself.
- These calculations can achieve various effects, making kernels incredibly versatile tools.





Kernel: Functions

- Smoothing: Blurs images by averaging surrounding pixel values (e.g., average kernel).
- Sharpening: Enhances edges by emphasizing differences between neighboring pixels (e.g., Laplacian kernel).
- Edge detection: Highlights edges by identifying large differences in pixel values (e.g., Sobel kernels).
- Embossing: Creates a 3D effect by highlighting edges with shadows and highlights (e.g., embossing kernel).
- Feature extraction: Extracting specific features from the image like lines, textures, or corners (e.g., custom kernels).



Kernel: Properties



• Properties:

- Size: Typically small matrices, like 3x3 or 5x5, though larger kernels exist for specific tasks.
- Values: Each element in the kernel represents a weight applied to the corresponding pixel during calculation.
- Convolution: The process of sliding the kernel across the image and performing element-wise multiplication with the underlying image pixels.



Kernel: Applications



• Image processing:

- Preprocessing images for tasks like object detection, image recognition, and segmentation.
- Deep learning:
 - Convolutional neural networks rely heavily on kernels for feature extraction and image classification.





- An image kernel is a small matrix used to apply effects like the ones you might find in Photoshop or Gimp, such as blurring, sharpening, outlining or embossing.
- They're also used in machine learning for 'feature extraction', a technique for determining the most important portions of an image.





- To see how they work, let's start by inspecting a black and white image.
- The matrix on the left contains numbers, between 0 and 255, which each correspond to the brightness of one pixel in a picture of a face.
- The large, granulated picture has been blown up to make it easier to see; the last image is the "real" size.





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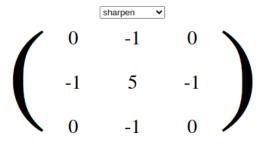
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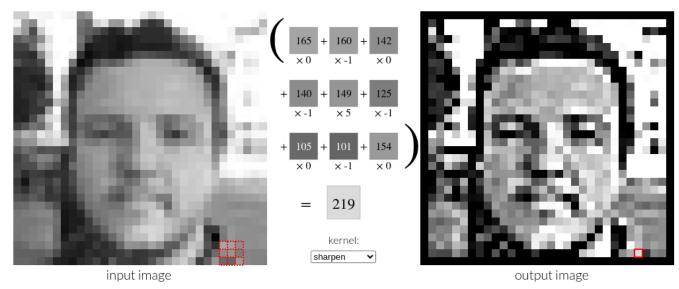








Below, for each 3x3 block of pixels in the image on the left, we multiply each pixel by the corresponding entry of the kernel and then take the sum. That sum becomes a new pixel in the image on the right. Hover over a pixel on either image to see how its value is computed.





Convolutional Operator



- The convolution operator, often denoted by an asterisk (*), is a powerful mathematical tool used in various fields, including signal processing, image processing, and machine learning.
- It essentially blends two functions together by sliding one of them over the other and multiplying corresponding elements before summing the products.
- This process extracts specific features from the input signals or images.



Convolutional Operator



- Imagine you have two signals:
 - Signal 1: Represents a song's melody played on a piano.
 - Signal 2: Represents a filter that highlights higher frequencies.
- By convolving these signals, you're essentially asking: "How much of the high-frequency content is present in the melody at each point in time?".
- The resulting signal would emphasize the high-pitched notes in the melody, revealing its prominent features.



Convolutional Operator



- Image 1: A photograph with various textures and edges.
- Kernel 1: A small matrix with positive values in the center and negative values around it (edge detection kernel).
- Convolving the image with this kernel would enhance the edges and boundaries within the image, making them appear sharper and more prominent.

-1	0	+1
-2	0	+2
-1	0	+1

+1	+2	+1
0	0	0
-1	-2	-1





Averaging Kernel

- In the world of image processing, averaging kernels, also known as mean filters, play a crucial role in smoothing images and reducing noise. They achieve this by blending the intensities of neighboring pixels, resulting in a more uniform and visually pleasing image.
- Understanding the Principle:
 - Imagine an averaging kernel as a tiny window sliding across your image.
 - At each pixel, it multiplies the corresponding pixel intensity with its weight (usually all positive and equal) and then sums the results.
 - This new average value becomes the output pixel in the processed image.





Averaging Kernel: Benefits

- Noise reduction: Blurs out random pixel variations, making the image appear smoother and less "grainy."
- Edge and detail preservation: Unlike some aggressive smoothing filters, averaging kernels can retain important edges and details by not aggressively blurring them.
- Wide range of applications: Useful for preprocessing images for tasks like feature extraction, segmentation, and compression.



Averaging Kernel



Practical





Gaussian Kernel

- The Gaussian kernel, named after the famous mathematician Carl Friedrich Gauss, takes inspiration from the bell curve to bring elegance and precision to the world of image processing.
- Just like the gentle slope of a Gaussian distribution, this special type of kernel smooths images beautifully, attenuating noise while preserving essential details.





Gaussian Kernel

- The Gaussian kernel, also known as the Gaussian filter, works by applying a weighted average to the pixels in a specific neighborhood around each pixel in an image.
- This weighting is based on the Gaussian distribution, which gives higher weights to closer pixels and lower weights to farther pixels.
- This creates a smooth blurring effect while preserving edges.





• Gaussian function:

- Imagine a bell-shaped curve, where the highest point is in the center and the values gradually decrease towards the sides. This curve represents the Gaussian function.
- The distance from the center determines the weight assigned to each pixel. Closer pixels (closer to the center) have higher weights, contributing more to the final value.





- Kernel creation:
 - A small square matrix represents the kernel, typically odd-sized (e.g., 3x3, 5x5).
 - Each element in the kernel corresponds to a weight based on its position relative to the center.
 - The center element usually has the highest weight, and weights decrease as you move farther away.





• Convolution:

- The kernel is "slided" over the image, one pixel at a time.
- At each position, the kernel elements are multiplied by the corresponding pixel values in the image.
- These products are then summed up, giving a weighted average for the target pixel in the filtered image.





- Blurring effect:
 - Pixels with nearby neighbors of similar values will see smaller changes in their intensity after filtering.
 - Pixels with significantly different neighbors will be more affected, leading to a smoothing effect.
 - Edges, defined by sharp changes in intensity, are partially preserved because the weights drop off quickly for distant pixels.



Gaussian Kernel: Features



- Smooths noise:
 - By averaging pixel values, the Gaussian kernel reduces random variations in intensity.
- Preserves edges:
 - The rapid weight drop-off with distance helps maintain sharp transitions between regions.
- Adjustable blur:
 - The kernel size and sigma (standard deviation) control the blur strength. Larger sizes and higher sigma lead to stronger blurring.



Gaussian Kernel



Practical





Median Kernel

- The median filter is a non-linear digital filtering technique, often used to remove noise from an image or signal.
- Such noise reduction is a typical pre-processing step to improve the results of later processing (for example, edge detection on an image).
- Median filtering is very widely used in digital image processing because, under certain conditions, it preserves edges while removing noise, also having applications in signal processing.





Median Filter

- Non-linear filter:
 - Unlike Gaussian filtering, which uses weighted averages, median filtering replaces a pixel's value with the median value of its surrounding pixels within a defined neighborhood (similar to a kernel).
- Noise reduction:
 - It's particularly effective at removing "salt and pepper" noise, characterized by isolated bright or dark pixels.
- Edge preservation:
 - Since it replaces values based on local statistics, it tends to preserve edges better than Gaussian filtering, making it useful for scenarios where edge information is crucial.



Median Filter



Feature	Gaussian Filter	Median Filter
Operation	Weighted average	Median selection
Noise reduction type	Gaussian	Impulsive ("salt and pepper")
Edge preservation	Moderate	Good
Non-linearity	Yes	Yes



Median Filter vs Gaussian



- The choice between Gaussian and median filtering depends on your specific needs:
 - Gaussian filter: Use it for general noise reduction while maintaining some edge detail.
 - Median filter: Use it for removing impulse noise while preserving sharp edges.





- Neighborhood definition:
 - Imagine a small square or rectangular window (similar to a kernel) sliding over the image, one pixel at a time. This window represents the neighborhood used for calculations.
 - The size of the neighborhood is critical. A larger window helps reduce noise but might blur edges, while a smaller window preserves edges but might be less effective at noise reduction.





- Sorting pixel values:
 - Within each neighborhood, the filter collects the intensity values of all pixels.
 - These values are then sorted in ascending or descending order, creating a ranked list.





• Median selection:

- The median value from the sorted list is chosen.
 The median represents the "middle" value, unaffected by extreme outliers like noise spikes.
- This median value replaces the original pixel value in the center of the neighborhood, effectively smoothing out the image.





- Sliding window approach:
 - The process repeats as the window slides across the entire image, pixel by pixel.
 - Each pixel is replaced with the median of its local neighborhood, resulting in a denoised image.



Median Filter



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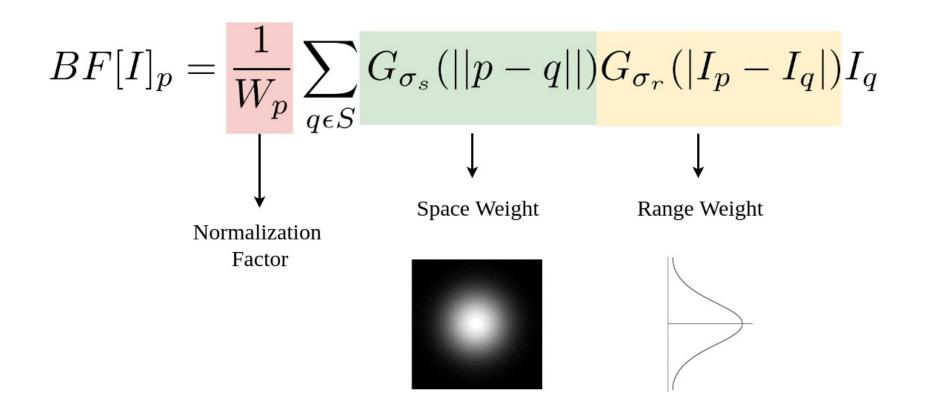




- The bilateral filter is a powerful image processing tool that effectively removes noise while preserving edges.
- It achieves this by incorporating both spatial proximity and intensity similarity when considering neighboring pixels.











- Here, the normalization factor and the range weight are new terms added to the previous equation. \sigma_s denotes the spatial extent of the kernel, i.e. the size of the neighborhood, and \sigma_r denotes the minimum amplitude of an edge.
- It ensures that only those pixels with intensity values similar to that of the central pixel are considered for blurring, while sharp intensity changes are maintained.
- The smaller the value of \sigma_r , the sharper the edge. As \sigma_r tends to infinity, the equation tends to a Gaussian blur.





- Combining Factors:
 - The bilateral filter calculates a weighted average of a pixel's neighbors, but the weights depend on two factors:
- Spatial proximity:
 - Similar to other filters, pixels closer to the target pixel receive higher weights. This ensures local smoothing.
- Intensity similarity:
 - Pixels with similar intensity values to the target pixel also receive higher weights. This helps preserve edges and textures.





- Gaussian Weights:
 - Both the spatial and intensity similarity are represented by Gaussian functions:
 - Spatial weight: Decreases with distance from the target pixel.
 - Intensity weight: Decreases with the difference in intensity between the neighbor and the target pixel.





- Weighted Average:
 - Multiplying these two weights for each neighbor gives the final weight.
 - Summing the weighted intensities of the neighbors provides the filtered pixel value.





- Balancing Smoothness and Edge Preservation:
 - The standard deviations of the Gaussian functions control the balance between spatial and intensity similarity.
 - Larger spatial standard deviation leads to more smoothing.
 - Larger intensity standard deviation allows for larger intensity differences, preserving more edges.





Practical



Thank you

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